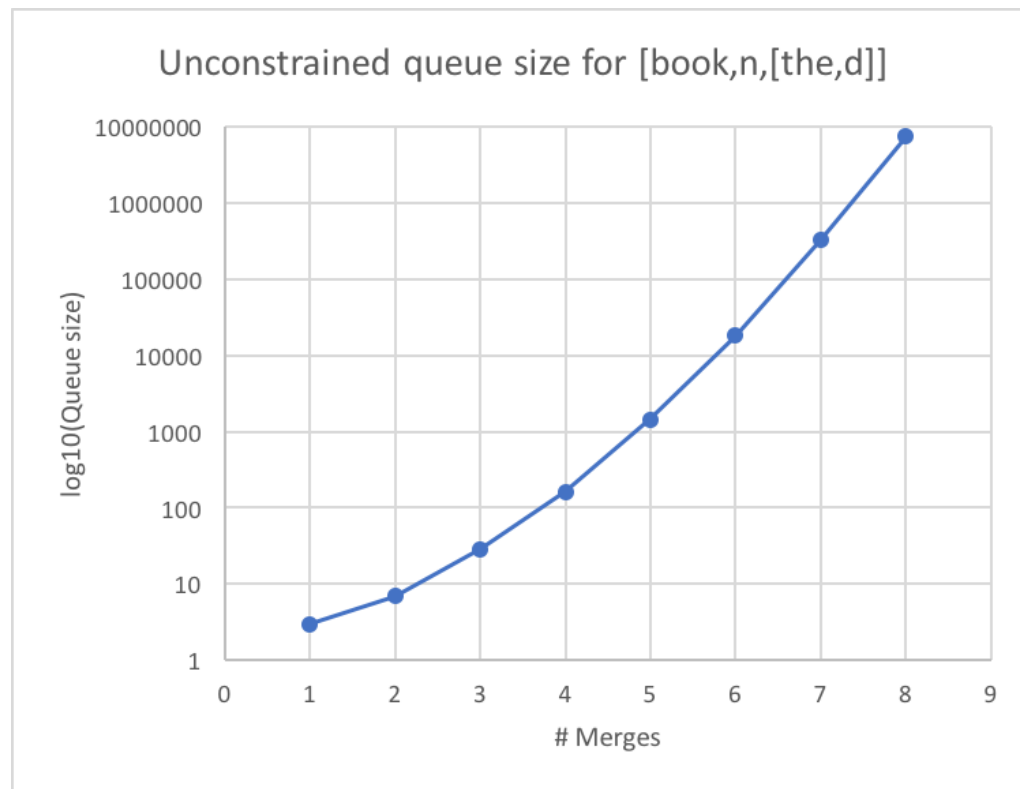


LING 696G: Lecture 3

Sandiway Fong

[book, n, [the, d]]



- Infinite supra-exponential expansion observed
- At each Merge step, in principle (subject to availability), we may have a choice of:
 1. External Set Merge (ESM)
 2. Internal Set Merge (ISM)
 3. External Pair Merge (EPM)
 4. Internal Pair Merge (IPM)

Example: [book,n!case,[the,d]]
SO: book, Input: [n!case,[the,d]]
1 esm SO: {book,n!case}, Input: [[the,d]]
1 1 ism SO: {book,{book,n!case}}, Input: [[the,d]]
1 1 1 dws SO: the, Input: [d]
1 1 1 1 esm SO: {the,d}, Input: []
1 1 1 1 1 ipm SO: <{the,d},the>, Input: []
1 1 1 1 1 1 uws SO: {book,{book,n!case}}, Input: [<{the,d},the>]
1 1 1 1 1 1 1 ism SO: {{book,n!case},{book,{book,n!case}}}, Input: [<{the,d},the>]
1 1 1 1 1 1 1 1 esm *mergeR SO: {{{book,n!case},{book,{book,n!case}}},<{the,d},the>}, Input: []
1 1 1 1 1 1 2 esm *mergeR SO: {{book,{book,n!case}},<{the,d},the>}, Input: []
1 1 1 1 2 ism SO: {the,{the,d}}, Input: []
1 1 1 1 2 1 uws SO: {book,{book,n!case}}, Input: [{the,{the,d}}]
1 1 1 1 2 1 1 ism SO: {{book,n!case},{book,{book,n!case}}}, Input: [{the,{the,d}}]
1 1 1 1 2 1 1 1 esm *mergeR SO: {{{book,n!case},{book,{book,n!case}}},{the,{the,d}}}, Input: []
1 1 1 1 2 1 2 esm *mergeR SO: {{book,{book,n!case}},{the,{the,d}}}, Input: []
1 1 1 1 3 uws SO: {book,{book,n!case}}, Input: [{the,d}]
1 1 1 1 3 1 epm *mergeR SO: <{the,d},{book,{book,n!case}}>, Input: []
1 1 1 1 3 2 ism SO: {{book,n!case},{book,{book,n!case}}}, Input: [{the,d}]
1 1 1 1 3 2 1 epm *mergeR SO: <{the,d},{book,n!case},{book,{book,n!case}}>, Input: []
1 1 1 1 3 2 2 esm *mergeR SO: {{{book,n!case},{book,{book,n!case}}},{the,d}}}, Input: []
1 1 1 1 3 3 esm *mergeR SO: {{book,{book,n!case}},{the,d}}, Input: []
1 2 dws SO: the, Input: [d]
1 2 1 esm SO: {the,d}, Input: []
1 2 1 1 ipm SO: <{the,d},the>, Input: []
1 2 1 1 1 uws SO: {book,n!case}, Input: [<{the,d},the>]
1 2 1 1 1 1 ism SO: {book,{book,n!case}}, Input: [<{the,d},the>]
1 2 1 1 1 1 1 esm *mergeR SO: {{book,{book,n!case}},<{the,d},the>}, Input: []
1 2 1 1 1 2 esm *mergeR SO: {{book,n!case},<{the,d},the>}, Input: []
1 2 1 2 ism SO: {the,{the,d}}, Input: []
1 2 1 2 1 uws SO: {book,n!case}, Input: [{the,{the,d}}]
1 2 1 2 1 1 ism SO: {book,{book,n!case}}, Input: [{the,{the,d}}]
1 2 1 2 1 1 1 esm *mergeR SO: {{book,{book,n!case}},{the,{the,d}}}, Input: []
1 2 1 2 1 2 esm *mergeR SO: {{book,n!case},{the,{the,d}}}, Input: []
1 2 1 3 uws SO: {book,n!case}, Input: [{the,d}]
1 2 1 3 1 epm *end SO: <{the,d},{book,n!case}>
1 2 1 3 2 ism SO: {book,{book,n!case}}, Input: [{the,d}]
1 2 1 3 2 1 epm *mergeR SO: <{the,d},{book,{book,n!case}}>, Input: []
1 2 1 3 2 2 esm *mergeR SO: {{book,{book,n!case}},{the,d}}, Input: []
1 2 1 3 3 esm *unlabeled SO: {{book,n!case},{the,d}}, Input: []

- Finite expansion observed with restrictions (TBD)
- There's only one way to assemble:
<{the, d}, {book, n}>

LIs:[book,n!case,[the,d]] Derivation #1			
Step	Branch	Op	SO
1	-	-	book
2	1	esm	{book,n!case}
3	2	dws	the
4	1	esm	{the,d}
5	3	uws	{book,n!case}
6	1	epm	<{the,d},{book,n!case}>
Spellout heads: [the]			
Final output: [the]			

What restrictions make sense?

Research Program:

- Let's entertain my hopeful hypothesis that basic assumptions about grammar + 3rd factor constraints will be sufficient to make Free Merge viable ...

Root R

Categorizer k

- all roots must be categorized
- all categorizers must categorize (exactly once)
- locality

Possible cases:

{R, k}

{k, {R, XP}} k c-commands R

Illicit cases:

<R, k>

Root invisible to k

<k, R>

k cannot categorize

{k, {x, R}}

no intervening head x

Restrictions from grammar

- Lexicon:
 - roots: *friend, john, like*
 - categorizers: n, d, v*, v
- Merge Restrictions:
 - (a) roots must be categorized (as soon as possible)
 - (b) each categorizer must find its root (with no intervening heads)
 - (c) categorizers can only categorize once
 - e.g. $\{c, \{R, \{c, R\}\}\}$
formed with only two LIs, c and R (R=root, c=categorizer)
 - n has unvalued features uCase, uTheta

What 3rd factor restrictions make sense?

- Infinite Loops:
 - caused by internal Merge (set and pair) only
 - enlarges current syntactic object (SO) without bound
 - Note: phase-based labeling is not sufficient to limit the damage: i.e. SO can be enlarged indefinitely before reaching v^* or C.
- **Hypothesis:**
 - Suppose FL always (attempts to) block infinite loops (**computational minimalism**)
- Implementation:
 - potential infinite loops are **always** blocked at the **first opportunity**
 - a pattern π is a sequence of Merge operations; e.g. ISM(a), ISM(b), ISM(a), ISM(b)
 - use an IM pattern repetition detector: $*\pi\pi = *\pi^{2+}$
 - there is only one kind of repetition permitted (i.e. none),
e.g. no rule $*\pi^{5+}$ (i.e. *you can repeat up to 4 times but not more*)

What 3rd factor restrictions make sense?

Example:

- consider $\{a,b\}$ with Internal Set Merge (ISM)
- block repetitive patterns π^{2+} (which all lead to infinite loops)
- e.g. $\{a,b\} = \text{ISM}(a)^*2 \Rightarrow \{\underline{a}, \{a, \{a,b\}\}\} =^* \Rightarrow \{a, \{a, \dots \{a,b\} \dots\}\}$
- e.g. $\{a,b\} = \text{ISM}(a,b)^*2 \Rightarrow \{\underline{b}, \{\underline{a}, \{b, \{a, \{a,b\}\}\}\}\} =^* \Rightarrow \{b, \{a, \dots \{b, \{a, \{a,b\}\}\} \dots\}\}$

Other Infinite Loops

- IM pattern: $*\pi\pi = *\pi^{2+}$
- There are more complicated types of infinite loops we can choose to block...

- **Example:**

1. {a,b} (ESM)
2. {a, {a,b}} (ISM of a)
3. {{a,b}, {a,{a,b}}} (ISM of {a,b})
4. {{a,{a,b}}, {{a,b},{a,{a,b}}}} (ISM of {a,{a,b}})
5. {{{a,b},{a,{a,b}}}, {{a,{a,b}}, {{a,b},{a,{a,b}}}}} (ISM of {{a,b},{a,{a,b}}})

and so on...

- this not a simple pattern, see below (but it can be blocked programmatically):
 - ISM(a) ISM({a,b}) ISM({a,{a,b}}) ISM({{a,b},{a,{a,b}}})

Restrictions from grammar

- Yet another kind: **lemmas**: (can be applied proactively)
 - Let uF = unvalued feature F
 - **rule**: unvalued features must be valued
- e.g. can't External Pair Merge (EPM) $\beta[uF]$ to α forming $\langle \beta, \alpha \rangle$, where β is an adjunct
- since β is no longer accessible to operations, adjunct with uF can never get valued

What 3rd factor restrictions make sense?

No duplicate SOs

- In just three steps, Internal Set Merge (ISM) with blind selection can create **duplicates** SOs

- **Example:**

in $\{x, \{x, y\}\}$

by selecting either copy of x ,

ISM can create same SO $\{x, \{x, \{x, y\}\}\}$

- **Derivation Tree:**

Start: SO: x , Input: $[y]$

1.ESM, SO: $\{x, y\}$, Input: $[\]$

1.1.ISM, SO: $\{x, \{x, y\}\}$, Input: $[\]$

1.1.1.ISM, SO: $\{x, \{x, \{x, y\}\}\}$, Input: $[\]$

1.1.2.ISM, SO: $\{\{x, y\}, \{x, \{x, y\}\}\}$, Input: $[\]$

1.1.3.ISM, SO: $\{x, \{x, \{x, y\}\}\}$, Input: $[\]$

1.1.4.ISM, SO: $\{y, \{x, \{x, y\}\}\}$, Input: $[\]$

1. 2.ISM, SO: $\{y, \{x, y\}\}$, Input: $[\]$



1. 2. 1.ISM, SO: $\{y, \{y, \{x, y\}\}\}$, Input: $[\]$

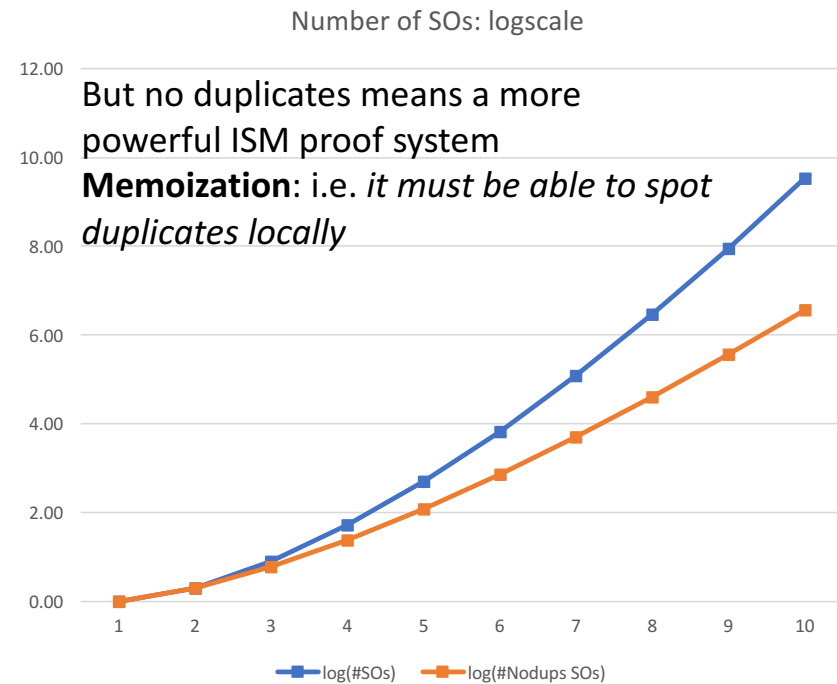
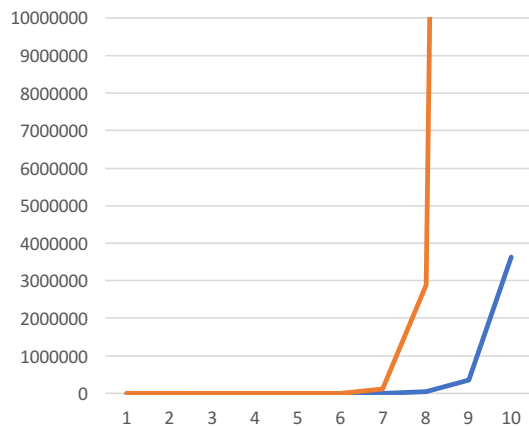
1.2.2.ISM, SO: $\{\{x, y\}, \{y, \{x, y\}\}\}$, Input: $[\]$

1.2.3.ISM, SO: $\{x, \{y, \{x, y\}\}\}$, Input: $[\]$

1.2.4.ISM, SO: $\{y, \{y, \{x, y\}\}\}$, Input: $[\]$

Duplicates vs. No Duplicates

- Eliminating duplicate SOs:
 - X-axis: number of Set Merges (SM)
 - Y-axis  : number of SOs built
 - Y-axis  : **log** number of SOs built
 - Orange line: allowing duplicates
 - Blue line: with no duplicates



Restrictions from grammar

- It's tempting to limit the range of Internal Merge (IM); but such stipulations require justification
- **Example:** Internal Set Merge (ISM)
 - SELECT (proper) sub-SO
- means:
 - SO: {a, {b, c}}
 - 1. {a, {b, c}} NO
 - 2. a
 - 3. {b, c}
 - 4. b
 - 5. c
- For Pair Merge (PM), in $\langle x, y \rangle$, x is invisible to SELECT
 - assume same SELECT is used for both IM operations
- **Example:** SELECT sees SO as {b, $\langle c, \{d, e\} \rangle$ } below:
 - SO: $\langle a, \langle z, \{b, \langle c, \{d, e\} \rangle \rangle \rangle \rangle$
 - $\langle a, \langle z, \{b, \langle c, \{d, e\} \rangle \rangle \rangle \rangle$ NO
 - $\langle z, \{b, \langle c, \{d, e\} \rangle \rangle \rangle$ NO
 - $\{b, \langle c, \{d, e\} \rangle \}$ NO
 - b
 - $\langle c, \{d, e\} \rangle$
 - $\{d, e\}$ NO
 - d
 - e

Restrictions from grammar

- Internal Set Merge (ISM)
 - SO $x = \{.. \{..x'.. \} .. \}$
 - SELECT x' a (proper) sub-SO of x
 - produce $\{x', \{.. \{..x'.. \} .. \}\}$
- Internal Pair Merge (IPM)
 - SELECT x' a (proper) sub-SO of x
 - produce $\langle \{.. \{..x'.. \} .. \}, x' \rangle$
 - **what about?** $\langle x', \{.. \{..x'.. \} .. \} \rangle$
 - think we want to ban this (lack of prominence for selected sub-SO)
 - also would permit flip-flop between adjunct (invisible) and non-adjunct (visible)
- Example:
 - *the professor of John's that he always praises* (Cecchetto & Donati, 2015:71)
 - our proposal using IPM:
 - $\langle \text{professor}, [\text{of } [\text{John } [\text{'s } \text{professor}]]] \rangle$ counts as a head for relabeling
 - SELECT chooses *professor* from John's professor
 - IPM allows it to be a "new" head and not violate C&D's constraints on relativization (and avoids their Late Merge solution)
 - Other (different) definitions of IPM:
 - Richards (2009) etc.
 - EKS (2016)

Resulting system

Notation:				
<p>Set Merge (SM): $\{\alpha, \beta\}$; Pair Merge (IM): $\langle \alpha, \beta \rangle$, α is adjunct. $\alpha!F$ means α has unvalued feature F. Workspace (WS) = Syntactic Object (SO) + unprocessed Lexical Items (LIs). Initial WS: LIs = a list of heads ([...]) to be processed in order. 1st(LIs) denotes the first element. Initial SO = 1st(LIs). Sub-WS: a sub-list defines a sub-WS. Compute a sub-SO that substitutes for the sub-list in the higher WS.</p>				
Derivation Tree (DT) examples:				
<p>Each line encodes one step of the DT. Formats: (1) $op\ SO\ Input$ (non-leaf step) (2) $op\ *Reason\ SO\ Input$ (blocked) (3) $op\ \checkmark\ SO\ []$ (convergent step)</p>		<p>Explanation: op = previous operation resulting in SO; Input = LIs remaining Reason = a restriction (or end) blocking SO (end: labeled SO computed but unvalued features still present)</p>		
<p>esm SO: $\{\{friend, n!case\}, like\}$, Input: $[v^*]$ 1 \blacktrianglerightism SO: $\{\{friend, n!case\}, \{\{friend, n!case\}, like\}\}$, Input: $[v^*]$ 2 \blacktrianglerightesm SO: $\{\{friend, n\}, like\}, v^*\}$, Input: $[]$ (Click on \blacktriangleright to extend the derivation one step.)</p>		<p>Explanation: from SO $\{\{friend, n!case\}, like\}$, there are two possible ways to proceed: (1) ism of $\{friend, n!case\}$ (object shift), or (2) esm of v^*.</p>		
<p>SO: book, Input: $[n!case, d, the]$ 1 $epm\ *pmR\ SO: \langle n!case, book \rangle$, Input: $[[d, the]]$ 2 $epm\ *mergeR(ext)\ SO: \langle book, n!case \rangle$, Input: $[[d, the]]$ 3 esm SO: $\{book, n!case\}$, Input: $[[d, the]]$</p>		<p>Explanation: (greyed out = blocked derivation) from SO book, epm of $n!case$ is blocked (*) in 1 and 2 by restrictions pmR and $mergeR$, resp.; however, esm of $n!case$, option 3, is permitted.</p>		
Operations:	Operation	Restriction	Restriction	Restriction
esm: External SM $\{SO, 1st(LIs)\}$	epm: External PM $\langle SO, 1st(LIs) \rangle$ or $\langle 1st(LIs), SO \rangle$	pmR: $*\langle \alpha[uF], \beta \rangle$ no unvalued features (uF) within adjunct α	dup: duplicate SOs eliminated	xmit: transmit INFL failure phase head, e.g. C or v^* , transmits inflectional (INFL) features to lower head X, triggering Agree(X, β), β a goal
ism: Internal SM $\{\alpha, SO\}$, α a sub-SO of SO	dws: Down WS begin computing sub-list	ipmR: disallow $\langle \{x, y\}, x \rangle$ from $\{x, y\}$	loop: IM repetitions disallowed e.g. $*ism\ \alpha\ ism\ \alpha$, or $*ism\ \alpha\ ism\ \beta\ ism\ \alpha\ ism\ \beta$	cii: CI interface crash uninterpretable formulae: $*\langle nP, nP \rangle$, $*\langle dP, dP \rangle$ (cf. $\langle dP, nP \rangle$)
ipm: Internal PM (IPM) $\langle SO, \alpha \rangle$, α a sub-SO of SO	uws: Up WS end sub-list computation; SO to higher WS	mergeR: apply lexical restrictions e.g. a categorizer must be the 1st SM'ed head above a Root	unlabeled (SO): labeling algorithm: non-weak head X labels $\{X, YP\}$, R (root) and T weak weak head W labels $\{W, YP\}$ if strengthened; X labels $\{X, R\}$; $\langle \phi, \phi \rangle$ labels $\{XP, \{Y, ZP\}\}$ assuming identical ϕ -features for XP and Y, strengthened Y labels $\{Y, ZP\}$ XP labels $\{XY, YP\}$ if YP moves Stipulation: n^* strengthens R in $\{n^*, \{R, XP\}\}$	